4. Find the rule for each of the following functions:

5. Find the range of each of the following functions:
a) $f(x)=-0.5[x-2]+5$
b) $g(x)=\left[\frac{x}{10}\right]+25$
c ) $h(x)=5[x+3]-5$
6. Johnny rents his camper to Sylvia and Benny under the following terms: the first 500 km are free, but each additional 100 km they travel will cost $\$ 20$.
a) Find the rule for the greatest integer function that represents this arrangement.
b) How much must Sylvia and Benny pay Johnny if they travel 4174 km in his camper?
7. A store manager offers his employees a base commission of $\$ 50$, which he will increase by $\$ 25$ for every $\$ 1000$ worth of merchandise they sell over a one-month period.
a) Find the rule for the greatest integer function the manager uses to calculate the total commission he will pay each of his salesclerks.
b) Hector sells $\$ 6257$ worth of merchandise during the month. How much commission will he earn?
c) How much must an employee sell to earn a commission of $\$ 350$ ?
$\qquad$
Group: $\qquad$ Date: $\qquad$
8. A telephone company offers a promotion on long-distance calls made on Sundays. It charges customers $25 ¢$ for the first 5 min and $10 ¢$ for each additional minute.
a) Find the rule for the greatest integer function that calculates the cost of a long-distance call made on a Sunday.
$\qquad$
b) Last Sunday Joanne made a long-distance call that lasted 58 min 40 s . How much will this call cost before taxes?
9. To attract customers, Stephanie offers bonus coupons for every $\$ 50$ spent at her store (not including taxes). She calculates how many coupons to give each customer using the rule $T(A)=2\left[\frac{A}{50}\right]+1$, where $A$ is the amount of the bill, in dollars.
a) Graph the step function that represents this situation.
b) Janet buys a lawn mower for $\$ 379$.

How many coupons will she receive?
c) Robert and his daughter each buy an item worth $\$ 80$. How many coupons will they receive if:

1) they ask for separate bills? $\qquad$
$2)$ they ask for one bill? $\qquad$

10. A. parking lot owner sets his rates using the rule $C(t)=\left[\frac{t}{30}\right]+2$, where $t$ is the number of minutes a car was parked in the lot and $C(t)$, the cost of parking. The maximum daily rate is $\$ 10$.
a) Graph this situation restricting the domain to ]0, 30 [.
b) What is the range of the function in this example?
c) Pete parks his car for a total of 1 h 45 min . How much will he pay?
d) What is the minimum cost of parking in the lot?

